

Particles separation in a cyclone device cone

Michail Vasilevsky, Pavel Zyatikov^a, Lyudmila Shishmina, Pavel Dozmorov, Vera Deeva^b
and Yuriy Nikonov

National Research Tomsk State University, Lenin Avenue, 36, 634050 Tomsk, Russia

Abstract. The improvement of the methods for calculating the efficiency for particles separation in these devices is the subject of article. Finding data show that the particles are discharged from the central zone to periphery by diffusive transport in the zone of high centripetal accelerations. It is found that the central zone is the ejection effect zone on the paraxial flow and intense discharge particle zone. The concentrations distribution and distribution of fractional efficiencies are presented.

Cyclone devices are a major element in the gas dusting systems in the production of energy, chemicals and other industries. However, the improvement of the methods for calculating the efficiency for particles separation in these devices is the subject of many studies [1] till now. In practice the method for estimating the fractional separation efficiency by integral of the random variable probability is widely accepted [2]. In work [3] it is shown that introduction of dust particles in the wall zone does not guarantee their introduction into the dust collecting bag and theirs 100% trapping. Ter Linden [4] plotted curves of particles separation equal efficiency. These particles introduced into the various points of the separation volume. It turned out that these curves pass through the point on the axis, i.e. the particles, which introduced below the entry section of the output channel on the axis, trapped with the same efficiency that the particles, which introduced at the periphery. According Kizin [3] the particles, which introduced in the upper axis point of the conical part, trapped more efficiently than the particles introduced into the peripheral zone of the cyclone upper part.

Mentioned data show that the particles are discharged from the central zone to periphery by diffusive transport in the zone of high centripetal accelerations, that is located in the vicinity of radius $R_m < R_1$ – the radius of the discharge connection. The vicinity of radius R_m is a transition zone from the quasi-solid rotation of the gas to the quasipotential. It is found that the central zone is the ejection effect zone on the paraxial flow and intense discharge particle zone. Turbulence intensity in this zone reaches more than 40%, whereas turbulence intensity in straight channels does not exceed 2%. The arrival process of highly concentrated flow in receiver along the periphery as well as outflow process of low concentration flow from receiver in the paraxial zone is explained by the ejection effects.

In counterflow cyclone in each cone section the flows are directed upwards towards gaz-discharge connection in the paraxial zone and they are directed down towards dust- excretive channel in a

^a e-mail: zpavel@niipmm.tsu.ru

^b e-mail: veradee@mail.ru

Dividing the left and right parts (1) into $\pi R_u^2 \cdot U_u C_{\theta x} = Q_{\theta x} C_{\theta x}$, we obtain

$$\eta_{\delta} = \frac{2}{1 - r_{\mathcal{A}}^2} \cdot \int_{r_{cz}}^{r_{cz}} cr dr - \frac{2}{r_1^2} \int_0^{r_{1z}} cr dr. \quad (3)$$

In these equations η – collection efficiency of particles size δ ; $C_{\theta x}$ – the concentration of particles size δ in gas; c – actual concentration of particles size δ in gas; Q – gas consumption.

We consider that the presence of the does not affect the gas, $W^- = \text{const}$; $W^+ = \text{const}$; index of power n of the peripheral velocity distribution in the quasi-potential zone has the same value in the different sections, particles transport in a radial direction is estimated by particles flow in their averaged relative motion when centrifugal forces and turbulent diffusive flow influence these particles. The transfer equation in a radial direction has image

$$C \Delta u|_z = \varepsilon \frac{dC}{dr}|_z, \quad (4)$$

$\Delta u = \frac{V^2}{R} \tau$, $\tau = \frac{\delta^2 \rho_{\delta}}{18 \nu \delta}$, $\Delta \bar{u} = \frac{\Delta u}{U_{II}}$; $v_{\theta x} = \frac{V_{\theta x}}{U_u}$, $\Delta \bar{u} = k \frac{v^2}{\Gamma} \text{Stk}$; $\text{Stk} = \frac{U_u \tau}{R_u}$, $v = \frac{v_{\theta x} \Gamma}{\Gamma^{n+1}}$ when $r < r_T$, $v = \frac{v_{\theta x}}{r^n}$ when $r > r_T$; $U_u = \frac{Q}{\pi R_u^2}$. Where Q – gas consumption in the cyclone, R_u – radius of the cyclone; δ – particle diameter; ρ_{δ} , ρ – particles and gas density, ν – kinematic viscosity coefficient; n – index in the equation $v \cdot r^n = \text{const} = v_{\theta x} \cdot 1^n$; $k < 1$ – coefficient taking into account the resistance increase when deviation from the Stokes flow under the fluctuations effect [6]. Index n changes height over the range 0,2–0,7 [7].

To simplify the calculation we consider $\Delta \bar{u} = \text{Stk} \cdot A/r$, where A is found from the relation $\int_{r_*}^1 \frac{A}{r} r \cdot dr = \int_0^1 \frac{v^2}{r} r \cdot dr \Rightarrow A = \frac{\int_0^1 v^2 \cdot dr}{1 - r_*}$; index r_* is chosen from the condition $\int_0^{r_*} v^2 dr = \int_{r_*}^1 v^2 dr$. For the section z : $r_{*z} = r_* \cdot \frac{Z}{H}$; $r_{Tz} = r_T \cdot \frac{Z}{H}$. Then $A_z = v_{\theta x}^2 \left(\frac{H}{z} \right)^{2n} \frac{3 - r_T^{1-2n}(n+1)}{3(1-2n)(1-r_*)}$, $\varepsilon = \frac{V_{\theta x} \cdot a \cdot b}{2\pi H(n+1)}$.

Where a , b – height and width of the upstream end. We denote $\alpha = \frac{\Delta u_2 R_u}{\varepsilon} = \frac{\Delta \bar{u} 2\pi h(n+1)}{v_{\theta x} \cdot \bar{a} \cdot \bar{b}}$. we can write transport equation (3) in dimensionless form $\frac{c \alpha_z}{r} = \frac{dc}{dr}$ when $r > r_{*z}$, $c_z = c_{0z}$ when $r \leq r_{*z}$

$$c_z = c_{0z} \left(\frac{r}{r_{*z}} \right)^{\alpha_z}. \quad (5)$$

Calculation shows that in expression (3) $\int_0^{r_1(z)} Cr \cdot dr = C_{0z} \left[\frac{r^2}{2} + \frac{r_1^{\alpha_z+2} - r_*^{\alpha_z+2}}{r_*^{\alpha_z+2}} \right] \left(\frac{z}{H} \right)^2$, and taking into account (5):

$$\frac{C_{0z}}{C_{\theta x}} = \frac{\left(\frac{H}{z} \right)^2 \eta_{\delta} r_*^{\alpha_z} (\alpha_z + 2)}{\frac{1 - r_{\mathcal{A}}^{\alpha_z+2}}{1 - r_{\mathcal{A}}^2} - \frac{1}{2r_1^2} (2r_1^{\alpha_z+2} + \alpha_z r_*^{\alpha_z+2})}. \quad (6)$$

Thus, the concentrations distribution by the ratio (5) taking into account (6) can be represented for example for cyclone SC-CF-34 when $\rho_{\delta}/\rho = 2000$; $R_u = 0.15m$; $U_u = 1.7 \frac{m}{s}$; $\nu = 1.5 \cdot 10^{-5} \frac{m^2}{s}$; $h_k = 4$; $r_1 = 0.34$; $\bar{a} \cdot \bar{b} = 1.3 \cdot 0.43$; and $\bar{r}_* = 0.6 \cdot r_1$; $r_T = 0.8 \cdot r_1$; $n_{cp} = 0.55$; $h = H/R_u = 5, 61$; $k = 1$ and distribution of fractional efficiencies [2].

Table 1.

δ (mcm)	1	3	5
η	0.41	0.82	0.91

at the cyclone upper part the relative concentration of particle size 3 mcm is equal 0,41 on the axis and 1,5 at the periphery, and at dust-excretive holes zone is equal 0,37 and 36 correspondingly.

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